THE ELECTRONIC SPECTRA OF IRON(II) COMPLEXES WITH α -PICOLINIC ACID AND QUINALDIC ACID

M.Král

Department of Chemical Analysis, Institute of Chemical Technology, Prague 6

Received December 11th, 1969

In the paper the spectra of iron(II) complexes with α -picolinic acid and quinaldic acid are studied. In the spectra of these complexes very weak bands ($\varepsilon = 18.5 \ l \ cm^{-1} m ol^{-1}$) were found with wave numbers $11.8 \ kK$ at FeP₃⁻ and $12.5 \ kK$ at FeQ_{2.2} H₂O. These bands were identified as d-d transitions between the states ${}^{5}T_{2g}$ and ${}^{5}E_{g}$. The intensive bands, which are present in the spectra, were resolved as $t_{2g} \rightarrow \pi^*$ and $\pi \rightarrow e_{g}$ transitions. On the basis of so called coupled-chromophore model, the states, between which the electron-transfer transitions occurs, are qualitatively described in the paper.

It is very well known, that α -picolinic acid (HP) and quinaldic acid (HQ) react with iron(II) ions, which originates intensive red complex compounds¹⁻¹⁵. Studying complex quilibria it was found that in case of picolinate complex the particles FeP⁺, FeP₂ and FeP₃⁻ exist in solution¹³, while the quinaldic acid form FeQ⁺ and FeQ₂ (ref.¹⁵). The results of magnetic moment study show, that these complexes are high spin^{16,17}. The electronic spectra of these complexes were measured in the region 17-0-250 kK and it was found that the absorption maximum has the complex with α -picolinic acid^{5,7,14} at wave number 22.7 kK and in case of quinaldate complex^{3,14} at 19-66 kK. In both cases these bands were resolved as electron-transfer bands¹⁸.

As the gained informations are not satisfactory for the theoretical study of electronic structure of these complexes, we measured the spectra of these compounds in whole range of electron transfer transitions and further we studied the spectra in long-wave region, where we have found out the presence of d - d transitions in both cases.

EXPERIMENTAL

Materials and instruments. The hydrochloride of α -picolinic acid was prepared by oxidation of α -picoline (Lachema, Brno) with potassium permanganate¹⁹. Others compounds were products (Merck or Lachema), mostly analytical grade. For the study of spectra, sodium salts of α -picolinic acid and quinaldic acid have been used.

The spectra were measured with spectrophotometer SF-4 (SSSR). For the study of electrontransfer bands the 1 cm cells have been used and d-d transitions were measured in 10 cm cells. pH of solutions was measured with compensation pH-meter PHK-1 (Mikrotechna, Prague), using glass and calomel electrode. For the calibration of glass electrode buffer solutions recommended from NBS were used²⁰. Spectra. The spectra of α -picolinic acid, quinaldic acid and electron-transfer spectra of Fe(II) complexes of these compounds were studied at pH 4, 5, 7 and 8. To hold the pH 4 and 5 Kolthoff acetate buffer were used, for the pH 7 Kolthoff-Vleeschhouwer borax-phosphate buffer solution and for the pH 8 buffer solution of Clark-Lubs. The spectra of solutions were measured immediatelly after mixing solutions. The order of solutions mixing were ligand-buffer solution-Mohr salt.

Composition of quinaldate complex. To find out the composition of complex which arises by reaction of Fe(II)-quinaldate ion, the method of nonequimolar continuous variation²¹ was used for the study. For the measurement the $5 \cdot 10^{-3}$ M solution of Mohr salt was used and the measurement was carried out for p = 40, 100 and 200 (p is defined as c_L/c_M , where c_L is the starting concentration of ligand solution and c_M the starting concentration of metal ion solution). The solutions were measured at wave length 510 nm and the results are given in Table I. From these data Job curves were constructed from which the stability constants β_2 were calculated. The values of log β_2 (4.97 for p = 40; 5·20 for p = 100; 5·23 for p = 200) are in a good agreement with tabelated value (5·44) (ref.²²). The analysis showed that the value $\beta_3 = 0$, and we can say, that in case of great excess of ligand the complex, having only two quinaldate ions bounded to Fe(II) exists in solution.

RESULTS AND DISCUSSION

The electronic spectra of Fe(II) complexes with α -picolinic acid and quinaldic acid are given in Fig. 1 and 2. In both cases these spectra were gained under the conditions responsible for existence of complex particle with maximum number of π -electronic ligands. For the complex with α -picolinic acid this complex is FeP₃⁻ and for quinaldate complex FeQ_{2.2} H₂O. For beeing certain that in the studied solutions complexes of composition FeP₃⁻ and FeQ_{2.2} H₂O exist, the 0-1M solutions of ligand and 3. 10⁻⁴M solution of Fe(II) have been used for measurement. Using tabelated stability constant values of iron complexes with these ligands²² it may be find out, that under these conditions the complex FeP₃⁻ is formed from 99.5% and the complex FeQ_{2.2} H₂O from 73%.



d-d Spectra of FeP₃ (1) and FeQ₂.2 H₂O(2)





Electron-Transfer Spectra of $FeP_3^-(1)$ and $FeQ_2.2 H_2O(2)$

From Figs 1 and 2 it may be seen, that in both cases spectra are composed from the bands with low value of extinction coefficients ($c = 18 \cdot 5 \mid cm^{-1}mol^{-1}$) and from the bands with the value of extinction coefficient 1000 l cm⁻¹mol⁻¹ for FeP₃⁻ and 500 l cm⁻¹mol⁻¹ for FeQ₂.2 H₂O. As the *d*-electron system is one of the chromophore, we identify low intensity transitions as d - d transitions between orbitals t_{2g} and e_g . The half-band width, $\delta = 2 \cdot 5 \text{ kK}$, indicates this type of transitions, too. From the study of magnetic properties follows, that the electronic configuration of the ground state is $(t_{2g})^4 (e_g)^2$ and the excited state has the configuration $(t_{2g})^3$ (e_g)³. The only terms, resulting from the approximation of octahedral microsymmetry from these states are the terms ${}^5T_{2g}$ and 5E_g and therefore in the d - d spectra only one band can be expected, connected with the transition ${}^5T_{2g} \rightarrow {}^5E_g$. The wave number of these transitions is simultaneously the value Δ and is in case of FeP₃⁻ 11.8 kK and in case of FeQ₂.2 H₂O 12.5 kK. These values are in agreement with those observed in other high spin complexes of Fe(II) ion with octahedral microsymmetry^{23,24}.

Identification of electron-transfer transitions which appear in both cases as a broad band with two maxima is a little complicated. As in these complexes iron is in the

NaQ	Mohr	Absorbance for p		
ml	salt, ml	40	100	200
0.0	10	0.008	0.004	0.006
0.5	9.8	0.256	0.709	1.119
0.4	9.6	0.538	1.131	1.300
0.6	9.4	0.790	1.207	1.341
0.8	9.2	0.962	1.250	1.357
1.0	9.0	1.051	1.256	1.342
2.0	8.0	1.086	1.182	1.247
3.0	7.0	1.000	1.067	1.111
4.0	6.0	0.892	0.945	0.965
5.0	5.0	0.750	0.802	0.833
6.0	4.0	0.615	0.648	0.669
7.0	3.0	0.470	0.492	0.511
8.0	2.0	0.321	0.338	0.350
9.0	1.0	0.171	0.178	0.192
10.0	0.0	0.013	0.016	0.026

TABLE I Nonequimolar Continuous Variation^a

^a 10 ml of the acetate buffer (pH 5) was added to each solution. The total volume of the solution was 25 ml.

oxidation state +2 and both ligands are π -electronic systems, the transitions connected with transition $t_{2g} \rightarrow \pi^*$ and $e_g \rightarrow \pi^*$) and the transitions connected with transition of electron from bonding orbital of ligand into the partly filled t_{2g} or e_g metal orbital (e.g. transition $\pi \rightarrow t_{2g}$ and $\pi \rightarrow e_g$) may be expected²³. From these transitions only transitions $t_{2g} \rightarrow \pi^*$ and $\pi \rightarrow e_g$ are taken into account. Remaining two transitions are symmetrically forbidden. The wave number of the $t_{2g} \rightarrow \pi^*$ transition is always lower than the transition $\pi \rightarrow e_g$ (ref²⁵). To distinguish these transitions qualitatively and to determine between which states the transitions occure, we use for the description of these systems so called coupled chromophore model²⁶⁻²⁸. This model was proposed for theoretical study of organic compounds containing interacting chromophore groups. At this model the ground state belongs to the state, in which no interaction occures among chromophore groups. On applying this model on a molecule of mononuclear complex this ground state is described with function

$$|G, A_1S\rangle = |M\rangle \prod_{g} |L(g)\rangle,$$

where $|M\rangle$ is the function describing the electron state of metal, $|L(g)\rangle$ describes the state of the g^{th} ligand, A_1 marks the symmetry of the ground state and S is the total spin of a particle. The electron-transfer state, which arrises from the transition of *d*-electron from the central field of the metal ion into the antibonding orbital of the ligand, was described with function

$$|CT, \Gamma_{1}S\rangle = \left(\frac{1}{j}\right)^{1/2} \sum_{j}' \sum_{h=1}^{n} D_{h}^{\Gamma_{1}} \left| \frac{L(h)}{M_{j}} r \right\rangle \prod_{g=1}^{n} |L(g)\rangle,$$



One-electron Energetic Level Diagrams a FeP_3^- , b $FeQ_2.2 H_2O$.

Electronic Spectra of HP (1) and HQ (2) at pH 5

where $D_{h}^{\Gamma_{1}}$ are group transformation coefficients and $|\frac{L(h)}{M_{1}}r\rangle$ is the function describing the state belonging to the transition of d-electron from the state with spin-orbital function $|M_i\rangle$ into the rth antibonding orbital of the hth ligand with spin-orbital function $|L(h)_r\rangle$. The prime at summation sign marks that the summation runs through those electron states of metal, which have the same quantum number λ , as the states of ligand atomic orbitals. In the same way we can write the function describing the electron transition from ligand bonding orbital into the partly filled metal orbital. As in this paper we are interested in the symmetry and number of new states, we determine only Γ for the given symmetry group. It is easy to find out, that the FeP_3^- complex can exist in the form fac-FeP_3^- or mer-FeP_3^-. In former case the symmetry of complex particle is C_3 and in latter case C_1 . From the character table of the point group C_3 we can find out, that the only representations of this group are representations A and E. As the orbitals $d\pi$ and $p\pi$ transform according to the representation E and $d\sigma$ and $p\sigma$ according to the representation A, we can expect in the electron transfer spectra one transition $t_{2e} \rightarrow \pi^*$ between states ${}^5A \rightarrow {}^5E$ and one transition $\pi \to e_{\alpha}$ between the states ${}^{5}A \to {}^{5}A$. We notice, that the ground state of the particle is fully symmetrical. If the symmetry of the particle was C_1 , the number of transitions would be the same and in both cases between the states ${}^{5}A \rightarrow {}^{5}A$.

In case of quinaldate complex the particle with symmetry C_{2h} arises, *i.e. trans*-FeO_{2.2} H₂O (the others ligand arrangements are excluded from the steric reasons and partly for the optical inactivity of the complex). In this symmetry group the orbitals $d\pi$ and $p\pi$ transform according to the representation B_{α} , and $d\sigma$ and $p\sigma$ according to the representation A. Therefore, there will be only one electron transfer transition $t_{2g} \to \pi^*$ between the states ${}^5B_g \to {}^5B_g$ and only one transition $\pi \to e_g$ between the states ${}^5A_g \to {}^5A_g$, too. As these transitions are between the states of the same parity, they are forbidden according to the Laporte rule and are allowed due to lowering of the symmetry, caused by vibrations of nuclei²⁹. In connection with this is the lower value of the extinction coefficients of these transitions. Basing on these considerations, the one-electron diagrams of energetic levels of complexes FePand FeQ_{2.2} H₂O are given in Fig. 3. The wave numbers of the $\pi \rightarrow \pi^*$ transitions. given on this figure, were calculated from the experimental values obtained for electron-transfer transitions and d - d transitions, and are in a very good agreement with the experimental values gained from the spectra of a-picolinic acid and quinaldic acid. These values are in case of picolinate ligand 37.9 kK and 21.2 kK in case of quinaldate ligand (Fig. 4).

The Electronic Spectra of Iron(II) Complexes

REFERENCES

- 1. Skraup Z. H.: Monatsh. 7, 210 (1886).
- 2. Ray P., Bose M. K.: Z. Anal. Chem. 95, 400 (1933).
- 3. Majumdar A. K., Sen B.: J. Indian Chem. Soc. 27, 245 (1950).
- 4. Wenger P. E., Monnier D., Epars L.: Helv. Chim. Acta 35, 569 (1952).
- 5. Majumdar A. K., Sen B.: Anal. Chim. Acta 8, 369 (1953).
- 6. Majumdar A. K., Sen B.: Anal. Chim. Acta 9, 529 (1953).
- 7. Shinra K., Yoshikawa K., Kato T., Nozimo Y.: J. Chem. Soc. Japan 75, 44 (1954).
- 8. Williams R. J. P.: J. Chem. Soc. 1955, 137.
- 9. Holmes F., Crimmin W. R. C.: J. Chem. Soc. 1955, 1175.
- 10. Holmes F., Crimmin W. R. C.: J. Chem. Soc. 1955, 3467.
- 11. Ray P., Banerjee B.: J. Indian Chem. Soc. 35, 297 (1958).
- 12. Ray P., Banerjee B.: J. Indian Chem. Soc. 35, 493 (1958).
- 13. Anderegg G.: Helv. Chim. Acta 43, 414 (1960).
- 14. Majumdar A. K., Bag S. P.: Anal. Chim. Acta 22, 549 (1960).
- 15. Bag S. P., Fernando Q., Freiser H.: Inorg. Chem. 3, 393 (1964).
- 16. Cambi L., Cagnasso A.: Gazz. Chim. Ital. 63, 767 (1933).
- 17. Cambi L., Cagnasso A.: Gazz. Chim. Ital. 64, 772 (1935).
- 18. Jørgensen C. K.: Inorganic Complexes, p. 120. Academic Press, London 1963.
- 19. Organic Synthesis, Vol. 20 (C. F. H. Allen, Ed.), p. 79. Wiley, New York 1940.
- 20. Bates R. G.: Anal. Chem. 40, 28A (1968).
- 21. Bark L. S., Higson H. G.: Analyst 88, 751 (1963).
- Sillén L. G., Martell A. E.: Stability Constants of Metal-Ion Complexes. Special Publication No 17. The Chemical Society, London 1964.
- 23. Lever A. B. P.: Inorganic Electronic Spectroscopy, p. 300. Elsevier, Amsterdam 1968.
- 24. Ballhausen C. J.: Introduction to Ligand Field Theory, p. 307. McGraw Hill, New York 1962.
- 25. Fergusson J. E., Harris G. M.: J. Chem. Soc. A 1966, 1293.
- 26. Longuet-Higgins H. C., Murrell J. N.: Proc. Phys. Soc. (London) A 68, 601 (1955).
- 27. Hansen A. E., Ballhausen C. J.: Trans. Faraday Soc. 61, 631 (1965).
- 28. Hansen A. E.: Thesis. University of Copenhagen, Copenhagen 1964.
- 29. See 23, p. 131.

Translated by the author.